2.5.3. Ratio to Moving Average Method. As pointed out earlier, moving average eliminates periodic movements if the extent (period of moving average) is equal to the period of the oscillatory movements sought to be eliminated. Thus for a monthly data, a 12 -month moving average should completely eliminate the seasonal movements if they are of constant pattern and intensity. The method of getting seasonal indices by moving average involves the following steps :
(i) Calculate the centred 12 -month moving average of the data. These moving average values will give estimates of the combined effects of trend and cyclic variations.
(ii) Express the original data (except for 6 months in the beginning and 6 months at the end) as percentages of the centred moving average values. Using multiplicative model, these percentages would then represent the seasonal and irregular components.
(iii) The preliminary seasonal indices are now obtained by eliminating the irregular or random component by averaging these percentages. As discussed in § $2 \cdot 5 \cdot 2$, Step (iii), either arithmatic mean or median (preferably median) can be used for averaging.
(iv) The sum of these indices $=S$ (say) will not, in general, be 1,200 (or 400) for monthly (or quarterly) data. Finally, an adjustment is done to make the sum of the indices 1,200 (or 400) by multiplying throughout by a constant factor $=1,200 / \mathrm{S}$ (or 400/S), i.e., by expressing the preliminary seasonal indices as the percentage of their arithmetic mean. The resultant gives the desired indices of seasonal variations.
Merits and Demerits. Of all the methods of measuring seasonal variations, the 'Ratio to the moving average 'method' is the most satisfactory, flexible and widely used method, for estimating the seasonal fluctuations in a time series because it irons out both trend and cyclical components from the indices of seasonal variations.

However, an obvious drawback of this method is that there is loss of some trend values in the beginning and at the end and accordingly seasonal indices for first six months (or 2 quarters) of the first year and last six months (or 2 quarters) of the last year cannot be determined.

Example 2.17. Apply ratio to moving average method to ascertain-seasonal indices from the following data:

| Year and <br> Month <br> 2002 | No. of persons <br> visiting a place <br> of interest | Year and <br> Month <br> 2003 | No. of persons <br> visiting a place <br> of interest | Year and <br> Month <br> 2004 | No. of persons <br> visiting a place <br> of interest |
| :---: | :---: | :---: | :---: | :---: | :---: |
| Jan. | 90 | Jan. | 100 | Jan. | 110 |
| Feb. | 85 | Feb. | 89 | Feb. | 93 |
| March | 70 | March | 74 | March | 78 |
| April | 60 | April | 62 | April | 66 |
| May | 55 | May | 55 | May | 58 |
| June | 45 | June | 47 | June | 40 |
| July | 30 | July | 30 | July | 35 |
| Aug. | 40 | Aug. | 43 | Aug. | 45 |
| Sept. | 70 | Sept. | 65 | Sept. | 72 |
| Oct. | 120 | Oct. | 127 | Oct. | 130 |
| Nou. | 115 | Nov. | 118 | Nov. | 118 |
| Dec. | 118 | Dec. | 120 | Dec. | 124 |

## Solution.

TABLE 2.20 : COMPUTATION OF MOVING AVERAGES

| Year \& Month |  | No. of persons visiting a place of interest | 12-point moving totals | 12-point M.A. | 12-point M.A. centered | Ratio to M.A. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| (1) |  | (2) | (3) | $(4)=(3) \div 12$ | (5) | $[(2) \div(5)] \times 100$ |
| 2002 | Jan. | 90 |  |  |  |  |
|  | Feb. | 85 |  |  |  |  |
|  | March | 70 |  |  |  |  |
|  | April | 60 |  |  |  |  |
|  | May | 55 |  |  |  |  |
|  | June | 45 |  |  |  |  |
|  | July | 30 | 898 908 | $\begin{aligned} & 74.83 \\ & 75.67 \end{aligned}$ | $75 \cdot 3$ | $39 \cdot 8$ |
|  | Aug. | 40 | 908 | 76.00 | $75 \cdot 8$ | 52.8 |
|  | Sept. | 70 | $916$ | 76.00 | 76.2 | 91.9 |
|  | Oct. | 120 | 916 | 76.33 | 76.4 | $157 \cdot 1$ |

